An automatic approach to continuous stress assessment during driving based on fuzzy c-means clustering

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Abstract—This paper presents a novel approach for driving stress assessment by fuzzy clustering. In previous researches, stress during real-world driving tasks has been detected in discrete levels, but in this study, we demonstrated that considering fixed-levels for stress in long periods is not authentic. Without employing discrete levels of stress, data remains unlabeled, so a clustering method has been proposed to compensate for the lack of feasibility of classification. Due to uncertainties, the clusters can be defined in terms of fuzzy sets. Furthermore, using fuzzy clustering methods, data overlap is considered. In the proposed algorithm, using membership values generated by fuzzy c-means, and weights assigned by fuzzy inference system (FIS), we present an automatic continuous criteria for stress in short time intervals. The continuous scale is defined between 0 and 100, where higher values represent higher stress levels. Our findings not only confirm rough results of previous studies, but also indicate improvements in precision and accuracy of stress assessment.

Index Terms—Fuzzy C-means Clustering, Continuous stress criteria, Automatic stress assessment.

I. INTRODUCTION

There is a drastic relationship between stress has negative effects on health and well-being, urgent actions cannot be applied to effectively prevent or manage it even in patients. Fastand practical specification of stress level could help different groups of people considerably preventing illness, increased stress and social problems. Existing studies have shown that mental stress can be recognized by the physiological information of humans, which is available through physiological signals such as electroencephalogram (EEG) [1, 2], electrocardiogram (ECG) and blood volume pressure (BVP) [3-7], galvanic skin response (GSR) [8-10], electromyogram (EMG) [4, 8-9] and respiration (RESP) [10].

The common approach in stress evaluation methods based on physiological signals is to extract the features followed by pattern recognition and machine learning algorithm to identify the relationship between stress and physiological information [12-15]. Zhai and Barreto [16] proposed a stress detection method based on automatic monitoring of four physiological signals including GSR, BVP, pupil diameter (PD) and skin temperature (ST). They utilized three classifiers consisting of Naïve Bayes, decision tree and support vector machine (SVM), and found that the physiological signals have a strong correlation with mental stress. In their study, stress has been classified as either “stressed” or “relaxed” [16]. Setz et al. [17] focused on electrodermal activity (EDA) for detecting stress. Several classifiers were evaluated; one of them achieved the accuracy of 82.2%. Also the performance of classifiers was compared for distinguishing between the “stress” and the “cognitive load”. In another study [2] the Stress in computer game players was labeled in three levels (“no stress”, “average” and “high stress”), and over 90% accuracy was obtained using EEG signal. Also in [8], emotional states in car-racing drivers were classified into “high stress”, “low stress”, “disappointment” and “euphoria” levels. For that, SVM and ANFIS classifiers were used and overall classification rates of 79.3% and 76.7% were achieved respectively. Kummar et al. [18] suggested a stochastic fuzzy analysis method to continuously quantify stress levels based on short-time series of R-R intervals. Among different stressing situations, driving stress is considered as a drastic factor that affects awareness and performance of drivers which in turn can result in aggressive and dangerous behavior on roads. In a comprehensive research, Healey [19] used ECG, EMG, GSR and respiration signals, to recognize three driving stress levels including “low stress”, “medium stress” and “high stress”, which respectively correspond to “rest”, “highway driving” and “city driving . The biological signals recorded at MIT Media Lab. are now available as a dataset in Physionet [20]. This dataset has been used by many researchers to study stress [21-25]. For instance, Wang et al. [25] classified stress using ECG signals and a K-nearest neighbor classifier into two levels: “low stress” and “medium/high stress” [25]. In earlier studies, stress in drivers has been classified into discrete levels. However this type of classification is not capable of taking real world variables such as individual differences, unpredictable events and behavioral details into account. For example in a long driving experiment [19] how can the stress be considered as high in all participants with different genders, personalities, experience and ethnic background? Or how could it be claimed that a subject with 30 minutes driving has a fixed stress level? To answer these and other similar questions, a continuous criteria for stress assessment is needed.
Accordingly, instead of already different classification and labeling methods, in the present study, we used fuzzy c-means clustering to specify levels of stress with higher resolutions. Due to uncertainties the cluster could be specified in terms of fuzzy sets [26]. Using of fuzzy concept whereas clusters have overlap leads to better results. Finally, quantitative criteria for subject’s stress will be presented using fuzzy inference system (FIS).

The remaining of this paper is organized as follows. In section 2, first, the proposed algorithm is described. Then, detailed description of the experimental data, feature extraction, fuzzy clustering and fuzzy inference system for driving stress evaluation are introduced. In section 3, the simulation results and discussion are presented. Finally, conclusion is presented in section 4.

II. Methods

A. Algorithm

The block diagram of the proposed method for quantifying the stress levels is shown in Fig. 1. In the procedure, first, HR, EMG, hand and foot GSR signals from the driving dataset [20] are used to extract the features. These features are fed into fuzzy c-means clustering method which in turn results the clusters with membership values. Then each cluster is divided to seven driving periods (SDPs) consisting of first rest, first city, first highway, second city, second highway, third city and second rest. These SDPs are determined by available markers in the dataset. The mean of cluster curve (MCC) for each segment is calculated and used as an input for FIS. The FIS input is denoted as a SDP-MCC matrix in the block diagram of Fig. 1. Using efficient if-then rules in FIS, the label of each cluster is obtained. Then proper weights are assigned to labeled clusters. Combining the membership values and weights already assigned to clusters, along with scaling the results leads to the final continuous stress criteria. In the following subsections, each of the mentioned components is described in detail.

B. Experimental data

Providing stressful conditions and recording the physiological signals during real driving are costly and time-consuming. Fortunately, such a dataset, produced by Healy in MIT Media Lab [19], is available at Physionet [20]. The experiments were performed on a specific route of open roads and where drivers traverse were limited to on daily commutes. The experiments were done in the real world so that the physiological reactions of the drivers could be excited in a natural manner which in turn leads to more practical results. Among all participants, three drivers repeated the task several times and six drivers completed the task just once. For each drive, ECG, EMG, foot and hand GSR, respiration and marker signals were acquired from the sensors worn by the driver. Among all sixteen recordings of the dataset, [20] only ten drives consisting of #5, 6, 7, 8, 9, 10, 11, 12, 15 and 16 are almost complete for
being used [21-26]. In drive #5, the first highway period lacks the heart rate data. Also in drives #9 and #16, the last rest periods lack clear marks. Therefore just seven drives consisting of #6, 7, 8, 10, 11, 12 and 15 which include all the sensors data are perfect and suitable to be used in the present study.

Obviously the more number of physiological signals are used, the more computational cost must be paid, so in our study, heart rate, EMG, foot and hand GSR from dataset are used.

C. Feature extraction

So far no comprehensive study that considers determination of best features of physiological signals for stress detection is not available [26]. Accordingly, mean value has been selected as an efficient feature with minimal calculations. The mean value for the signal $X_n$ containing N samples, $X_n = \{x_1, x_2, \ldots, x_N\}$ is calculated by Eq.1

$$\text{mean}_X = \frac{1}{N} \sum_{n=1}^{N} x_n$$ (1)

Among different features already extracted from GSR signals [9-12], the mean absolute difference (Eq.2) is a suitable feature

$$\delta_X = \frac{1}{N-1} \sum_{n=2}^{N} |X_{n+1} - X_n|$$ (2)

Altogether, six features consisting of mean values of the four signals (heart rate, EMG, hand and foot GSR) in addition to mean absolute differences for hand and foot GSR are extracted for each ten-second window of signals.

D. Fuzzy c-means clustering

This algorithm works by assigning membership to each data point corresponding to each cluster center on the basis of distance between the cluster center and the data point. More the data is near to the cluster center more is its membership towards the particular cluster center. Clearly, summation of membership of each data point should be equal to one. In this algorithm the number of clusters must be predefined. After each iteration, membership and cluster centers are updated according to Eq. 3 and Eq.4.

$$\mu_{ij} = \frac{1}{\sum_{k=1}^{c} d_{ij}^{-m}}$$ (3)

$$v_j = \frac{\sum_{i=1}^{n} (\mu_{ij})^m x_i}{\sum_{i=1}^{n} (\mu_{ij})^m}, \forall j = 1, 2, \ldots, c$$ (4)

Where $\mu_{ij}$ represents the membership of $i^{th}$ data to $j^{th}$ cluster center, $d_{ij}$ represents the Euclidean distance between $i^{th}$ data and $j^{th}$ cluster center; $c$ represents the number of cluster center. $m$ is the fuzziness index $m \in [1, \infty]$, $n$ is the number of data points and $v_j$ represents the $j^{th}$ cluster center. Main objective of fuzzy c-means algorithm is to minimize Eq. 5.

$$J(U, V) = \sum_{i=1}^{n} \sum_{j=1}^{c} (\mu_{ij})^m \|x_i - v_j\|^2$$ (5)

Where $\|x_i - v_j\|$ is the Euclidean distance between $i^{th}$ data and $j^{th}$ cluster center. Algorithmic steps for Fuzzy c-means clustering are as follow.

Let $X = \{x_1, x_2, \ldots, x_n\}$ be the set of data points and $v = \{v_1, v_2, \ldots, v_c\}$ be the set of centers.

1. Randomly select $c$ cluster centers.
2. Calculate the fuzzy membership ‘$\mu ij$’ using Eq. 3
3. Compute the fuzzy centers ‘$v j$’ using Eq. 4
4. Repeat step 2 and 3 until the minimum ‘$J$’ value is achieved (Eq. 5)[27]

E. Fuzzy inference system

A fuzzy inference system (FIS) is a system that uses fuzzy set theory to map inputs (SDP-MCC matrix) to outputs (labels of clusters) [28]. Our version of FIS is Mamdani inference system and including the seven inputs (SDP) and an output (cluster labels).

Fig 2(a) shows the membership function for inputs. Membership function’s shape is trapezoid and each input includes three variables (low, medium and high). Fig. 2(b) shows the output membership function. Membership function’s shape is triangular and the output includes five variables (very low, low, medium, high, and very high).

Fuzzy rules are a collection of the linguistic statements that describe how the FIS should make a decision regarding labeling the output. Fuzzy rules are written based on scrutiny on signals and as a replacement for expert must be covered all drives and leading to proper results in specific terms or unpredictable events. Table 1 show five rules are determined in our implementation.
TABLE I
FIS RULES WITH OBJECTIVE OF LABELING FUZZY CLUSTERS

<table>
<thead>
<tr>
<th>No</th>
<th>Rules</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>If (Rest1 is not High) and (City1 is not Low) and (HW1 is not Low) and (City2 is not Low) and (HW2 is not Low) and (City3 is not Low) then (Label is High)</td>
</tr>
<tr>
<td>2</td>
<td>If (City1 is not High) and (HW1 is not Medium) and (City2 is not High) and (HW2 is Medium) and (City3 is not High) and (Rest2 is not Low) then (Label is Low)</td>
</tr>
<tr>
<td>3</td>
<td>If (Rest1 is High) and (City1 is Low) and (City2 is Low) then (Label is VeryLow)</td>
</tr>
<tr>
<td>4</td>
<td>If (Rest1 is not High) and (City1 is High) then (Label is VeryHigh)</td>
</tr>
<tr>
<td>5</td>
<td>If (Rest1 is Low) and (HW1 is not Low) and (HW2 is Medium) then (Label is Medium)</td>
</tr>
</tbody>
</table>

II. RESULTS AND DISCUSSION

In total of available signals from dataset, HR, EMG, hand GSR and foot GSR are selected. Each of signals segment into a series of 100 second window with 90% overlap. From those window six features including mean and mean absolute difference are extracted. Fig. 3 shows a biosignal diagram of drive 8 achieved from stress in driving dataset as an example, indicating whole driving procedure. Fig. 4 shows six mentioned features and their performance to trace signal variations.

In the next step features are given to fuzzy c- means clustering with predefined number of clusters (c=5). After clustering, there are the membership values corresponding to each cluster center for every 10 seconds of signals that can be determined the efficient criteria for stress in subjects. Each cluster is divided to seven driving periods (rest1, city1, highway1, city2, highway2, city3, rest2) by marker identification available from dataset. Mean of cluster curve (MCC) in SDP is calculated as an agent for membership values. With repetition of above step for 5 clusters, the SDP-MCC matrix is obtained. A normalized SDP-MCC matrix of drive 8 is given in Table 2 as an example.

TABLE II
SDP-MCC MATRIX FOR DRIVE 8

<table>
<thead>
<tr>
<th>SDP clusters</th>
<th>R1</th>
<th>C1</th>
<th>H1</th>
<th>C2</th>
<th>H2</th>
<th>C3</th>
<th>R2</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>0.17</td>
<td>0.84</td>
<td>0.63</td>
<td>0.61</td>
<td>0.45</td>
<td>0.00</td>
<td>0.19</td>
</tr>
<tr>
<td>2</td>
<td>0.00</td>
<td>0.05</td>
<td>0.04</td>
<td>0.02</td>
<td>0.05</td>
<td>0.04</td>
<td>0.96</td>
</tr>
<tr>
<td>3</td>
<td>0.19</td>
<td>0.00</td>
<td>0.34</td>
<td>0.00</td>
<td>0.10</td>
<td>0.64</td>
<td>0.13</td>
</tr>
<tr>
<td>4</td>
<td>0.15</td>
<td>0.21</td>
<td>0.02</td>
<td>0.04</td>
<td>0.02</td>
<td>0.00</td>
<td>0.05</td>
</tr>
<tr>
<td>5</td>
<td>0.44</td>
<td>0.48</td>
<td>0.39</td>
<td>0.26</td>
<td>0.00</td>
<td>0.60</td>
<td>0.37</td>
</tr>
</tbody>
</table>

This matrix is an input for FIS. Then predefined weights are assigned to labeled clusters. That’s mean if labels of five clusters determine as very low, low, medium, high and very high, the assigned weights will be 0.01, 0.25, 0.5, 0.75

TABLE III
THE OUTPUT OF FIS AND ASSIGNED WEIGHT

<table>
<thead>
<tr>
<th>Fuzzy output</th>
<th>Assigned weight</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.5719</td>
<td>0.5</td>
</tr>
<tr>
<td>0.081</td>
<td>0.01</td>
</tr>
<tr>
<td>0.882</td>
<td>1</td>
</tr>
<tr>
<td>0.3</td>
<td>0.25</td>
</tr>
<tr>
<td>0.7474</td>
<td>0.75</td>
</tr>
</tbody>
</table>

After assigning weight to the clusters in each 100 seconds window with 90% overlap, in each window the measured membership value calculated from fuzzy c-means, multiply to the weight of the cluster. This way of combination repeats for 5 clusters and finally the candidate of these five values are obtained. The calculated value scales to the range of 0 to 100, in order to quantify stress. For better representation, a collection of 100 different colors in the range of dark blue to dark red of the visible spectra will be defined by the use of “colormap” command of MATLAB. By taking the calculated value to the range of 0 to 100, one of the mentioned colors will be chosen. So the color will be associated to the stress value of the corresponding window.
As mentioned, the lower weight is related to the lower level of stress which represents with lower wavelength of the visible spectra (such as blue, cyan), in contrast, higher weights which were assigned to the clusters with higher stress will be represented with higher wavelengths of visible spectra (red, yellow). Middle weight is related to the average level of stress with the color range of green. Fig. 5 shows the described algorithm for drive 8 to determine the criteria of stress in driving as an example, including all the seven driving period’s indicator and the five confines for stress criteria.

Conducting experiment in the natural environment allows many unexpected events occur. For example, one of drivers, during the first of two highway driving segments took an unexpected exit and had to get back on the highway. Additionally, during the second rest period the subject was agitated due to needed to the restroom and had difficulty resting. Another subject had a minor accident during the city driving. Hence, participants had different age, gender, skill and experience for driving. In stance first subject was a male undergraduate with three years of driving experience who had not driving regularly for the past three years. The second subject was an undergraduate male student with over four years of driving experience. He had not driven a month previous to the experiment and stress in driving experiment was his second driving experiment in this city. The third subject was a female undergraduate with eight years of driving experience [19].

Due to these individual differs and unpredictable events during driving in [10, 19] were confirmed to avoid misclassification, their simulation has a relatively long time window such that a data period that is partially inconsistent with the assumption still had enough data in line with that assumption to make the correct classification. According to this theory, several studies were classified stress with the long time window.

But our results clearly represent valid and efficient criteria for driving stress in each moment without using long time window. Result is demonstrated in Fig. 5 represent continues stress from the start of experiment till the end of it, furthermore exaggerate individual differs and unexpected hazards during experiment.

Despite these advantages, our suggested algorithm is automatic, fully practical and usable for the other stressful scenario. Fig. 6 shows an implementation of proposed method with assigning colors to stress criteria, on four selective signals (HR, EMG, hand GSR and foot GSR) for drive 8 as an example. Colors clearly demonstrate the stress variations during driving on recorded signals.

As mentioned, the stress variation from very low to very high is illustrated by blue wavelength spectra to red wavelength spectra.

Moreover calculation of average in SDP of all drives, create another show of the stress variations during driving (Fig. 7).
This approach confirms the results of the previous studies including low stress in rest, medium stress in highway and high stress in city. Also standard deviation is plotted to demonstrate individual differences during driving.

III. CONCLUSION

In this paper, the continue stress assessment using physiological signals is proposed. Whereas most of the event details during driving are neglected by discrete consideration of the stress levels. The Continuous stress assessment is presented. Also fuzzy c-mean clustering is considered to be adequate for data that do not have proper labels and the clusters that have overlap. The simulation results confirm this assumption. Lack of sufficient details about dataset is compensated by if-then rules and finally results demonstrate that the stress variations from one driving period to another are smoothed in lieu of startle-like. Moreover with presenting average approach in SDP, previous work is confirmed. Proposed method is extendable to other stressful scenarios. In the future work, optimization methods such as Genetic algorithm are used to find optimize number of clusters and to assign proper weight to clusters.

REFERENCES


